

# चौधरी PHOTOSTAT

*"I don't love studying. I hate studying. I like learning. Learning is beautiful."*

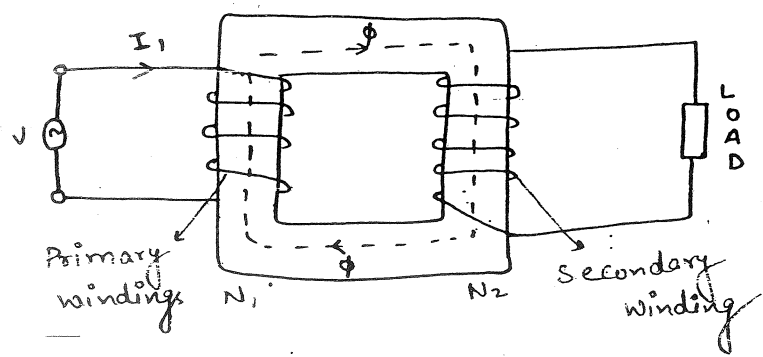
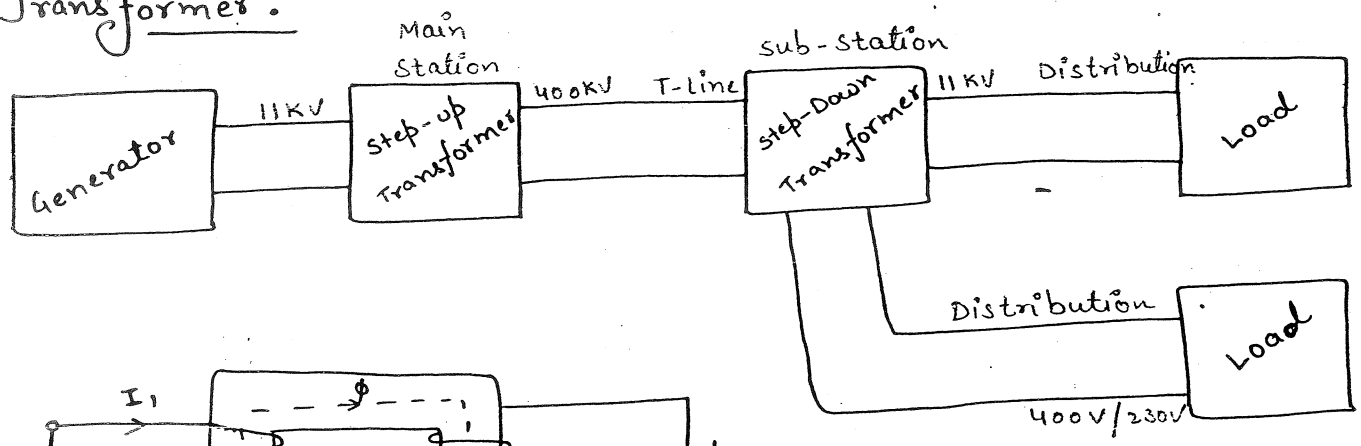


*"An investment in knowledge pays the best interest."*

Hi, My Name is

## Electronics Engineering for GATE/IES (MADE EASY)

# Transformers :



\* Transformer is a static device consist of two or more than two electric circuits interlinked by common magnetic flux for the purpose of transforming power from one ckt to another circuit without changing any power and frequency.

\* In the transformer, primary and secondary winding are electrically isolated and magnetically connected together.

\* In the transformer wrt external circuit, No energy conversion is present but wrt internal circuit electrical energy into magnetic field. & the magnetic field is converted to electrical energy.

\* Wrt no. of turns in the primary and secondary winding

Transformers are classified as:

1)  $N_1 > N_2 \rightarrow$  step down T/F

2)  $N_1 < N_2 \rightarrow$  step up T/F

3)  $N_1 = N_2 \rightarrow$  Isolation T/F

$N_1 =$  No. of primary turns       $N_2 =$  No. of secondary turns

### Applications:

1) To change level of voltage (step-up or step-down)

2) Impedance matching Transformers (to obtain Max. power from source to load).

3) Isolation Transformer (To separate DC component in AC system)

\* Transformers work based on the principle of Faraday's Law of electromagnetic induction.

\* Essential requirements to obtain induced voltage are:

1) Conductor

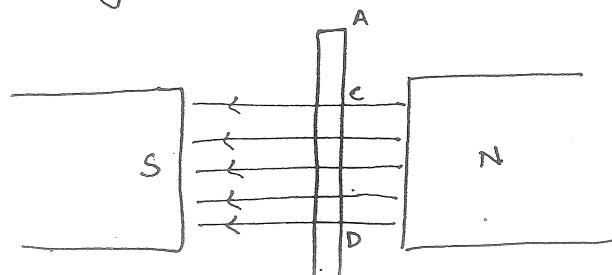
2) Magnetic field

3) Relative speed between conductor and magnetic field.

(either w.r.t space or time)

### Case-I: Dynamically Induced emf

\* emf induced in a conductor when it is being rotated in a steady magnetic field is called as Dynamically Induced emf.



Dynamically induced emf = e

$$e = Blv \sin \theta$$

B = Flux density ( $\text{wb/m}^2$ )

l = Active length of conductor (CD)

v = Linear velocity of the conductor

$\theta$  = phase displacement between conductor & magnetic field.

Faraday's First Law:

"When conductor cuts a magnetic lines of force, an emf induced in the conductor."

Faraday's Second Law:

"EMF induced in a conductor is directly proportional to the Rate of change of flux."

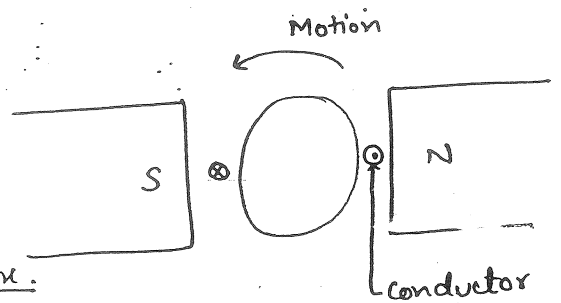
\* Direction of Dynamically induced emf is obtained by using

Hemming's right hand rule.

→ Thumb indicates motion of the conductor.

→ Forefinger indicates direction of flux.

→ Middle finger indicates direction of induced current (induced voltage).



Case II - ~~Statistical~~ Statically induced emf

\* emf induced in a conductor when it is subjected to time varying flux is called as statically induced emf.

\* Direction of statically induced emf is obtained by Lenz's Law.

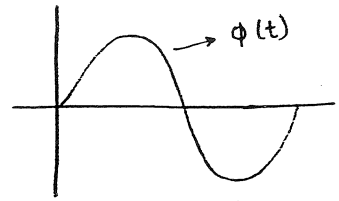
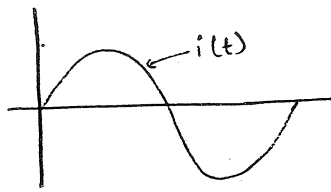
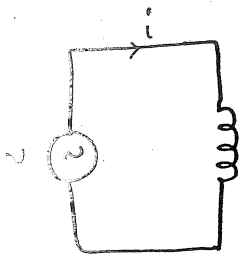
Ex-1

$$e \propto \frac{d\phi}{dt}$$

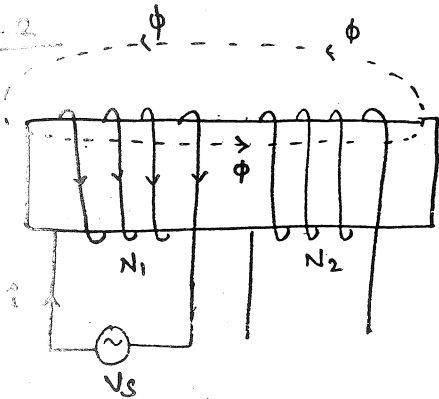
$$e = -N \frac{d\phi}{dt}$$

↓  
Lenz's Law

$v, i, \phi, e$   
Lenz's law



Ex-2



$$e_1 \propto \frac{d\phi}{dt}$$

$$e_1 = -N_1 \frac{d\phi}{dt}$$

$$e_1 = -N_1 \frac{d\phi}{dt} \frac{di}{dt} \quad \left( L = \frac{N\phi}{i} \right)$$

$$e_1 = -L_1 \frac{di}{dt} \quad \text{self induced emf}$$

$$e_2 \propto \frac{d\phi}{dt}$$

$$e_2 = -N_2 \frac{d\phi}{dt}$$

$$e_2 = -N_2 \frac{d\phi}{dt} \frac{di}{dt} \quad \left( M = \frac{N_2\phi}{i} \right)$$

$$e_2 = -M \frac{di}{dt} \quad \text{Mutual induced emf}$$

## Magnetic Coupling

wrt direction of flux, magnetic coupling are classified

as

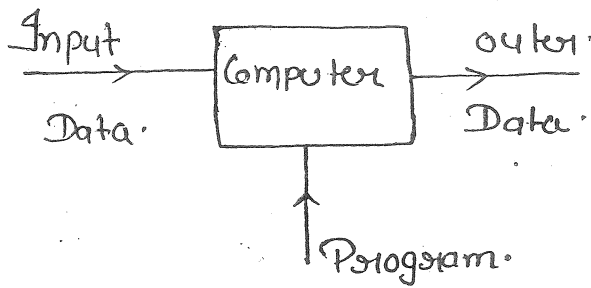
→ positive magnetic coupling

→ Negative magnetic coupling

# Computer

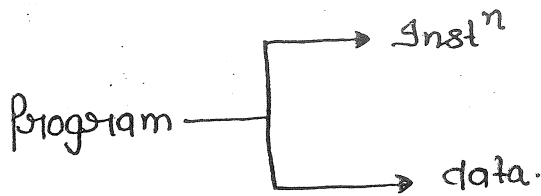
28/11/2017

It is a computation machine used to process the data under the control of a programme.  $\therefore$  The computer system functionality is programme execution.



Program:-

is a sequence of 'Instruct<sup>n</sup>' along with a data.



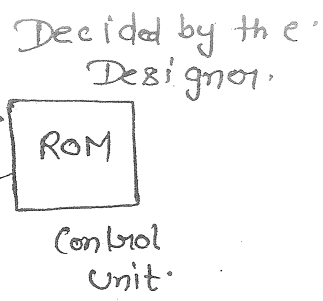
Inst<sup>n</sup>:-

is a binary code which is designed inside the processor to performed some task.

Binary code — Bind — operation with

Ex :- If CPU X support's 8 operations then opcode is defined as  $\log_2^8 = 3 \text{ bit}$  { Encoded format }

opcode	operation
000	- +
001	- *
111	- AND



Data :- It is a binary code which is associated with a values based on the format.

Binary → code - Bind - Value with

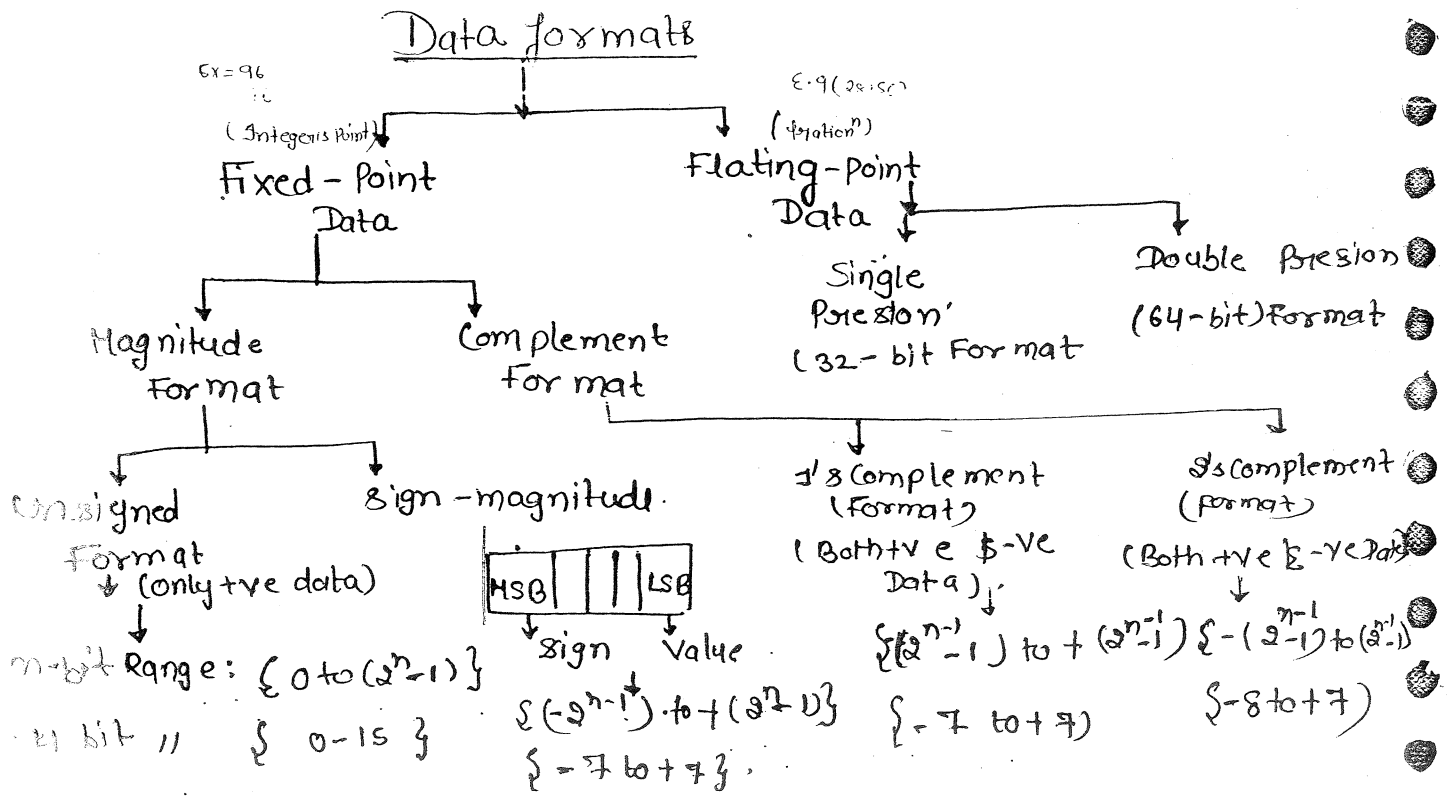
Ex  $(101)_2 = 5$

$$(1 \times 2^2) + (0 \times 2) + (1 \times 2^0)$$

$\downarrow$                        $\downarrow$                        $\downarrow$   
 4                              0                              1

⑤

Different Data format :- used in the computer system design to prefer the data is as follow.



$$\begin{array}{|c|c|} \hline +1 & -1 \\ \hline +0 & -0 \\ \hline \end{array} \rightarrow 0$$

4 Bit Binary	Unsigned Data	Sign-magnitude Data	1's Compl. Data	2's Comp. Data
0000	0	+0	+0	+0
0001	1	+1	+1	+1
0010	2	+2	+2	+2
0011	3	+3	+3	+3
0100	4	+4	+4	+4
0101	5	+5	+5	+5
0110	6	+6	+6	+6
0111	7	+7	+7	+7
1000	8	-0	+7	-8
1001	9	-1	-7	-7
1010	10	-2	-6	-6
1011	11	-3	-5	-5
1100	12	-4	-4	-4
1101	13	-5	-3	-3
1110	14	-6	-2	-2
1111	15	-7	-1	-1

Not in use

Not in use

1's Compl

1000 = [-7]

1000 → 0111 (7)

1001 = [-6]

1001 → 0110 (6)

2's Complement

1000 = [-8]

1000 → 0111

+1

---

1000 = 8

1001 = [-7]

1001 → 0110

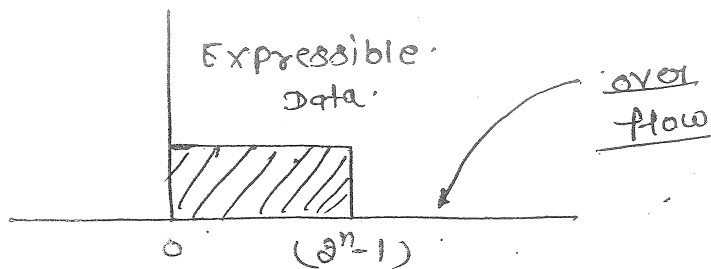
+1

---

0111 = 7



# Unsigned Data:



$$4 \text{ bit} + 1 \text{ bit} = 5 \text{ bit}$$

$$\begin{array}{r} 15 \\ + 15 \\ \hline 30 \end{array}$$

4-bit : { 0 to 15 }

4-bit + 1 bit { 0 to 31 }

↓  
space

↓  
Flip-Flop

↓  
Flag → carry

⇒ Note :-

Carry flag is used in the CPU designed to indicate the range exceeding cond<sup>n</sup> of a unsigned arithmetic

$$\boxed{(n\text{-bit}) + (n\text{-bit}) = (n+1)\text{ bit}}$$

↓  
1 Bit storage space

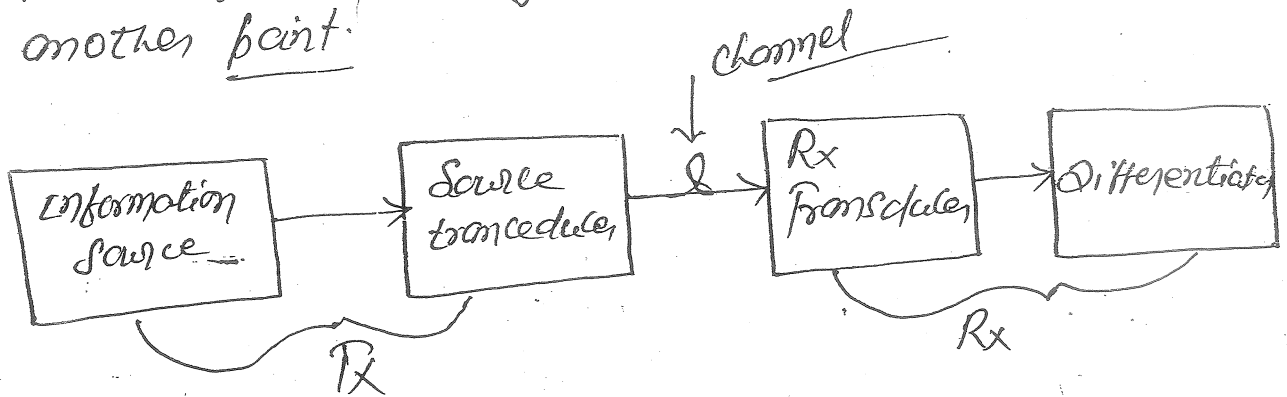
↓  
1 Flip-Flop

↓  
Flag

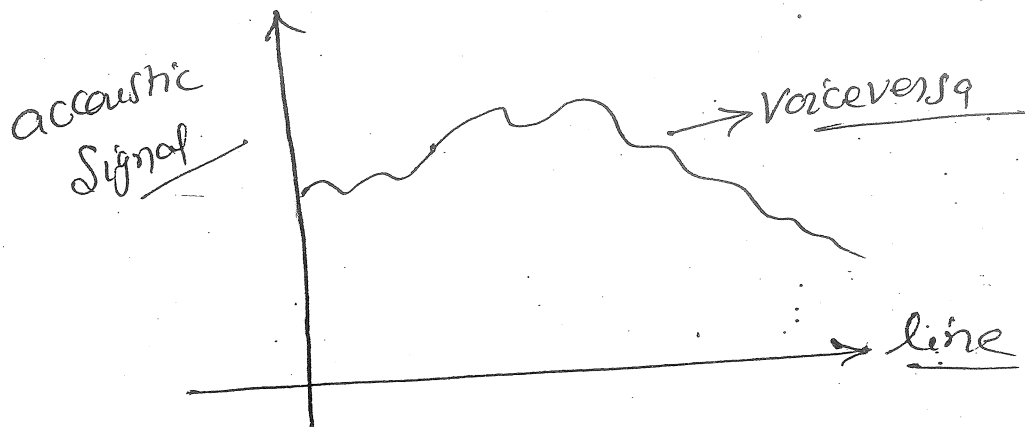
↓  
Carry Flag

Date  
24/7/17

Communication: — Communication is a process of transferring signal from one point to another point.



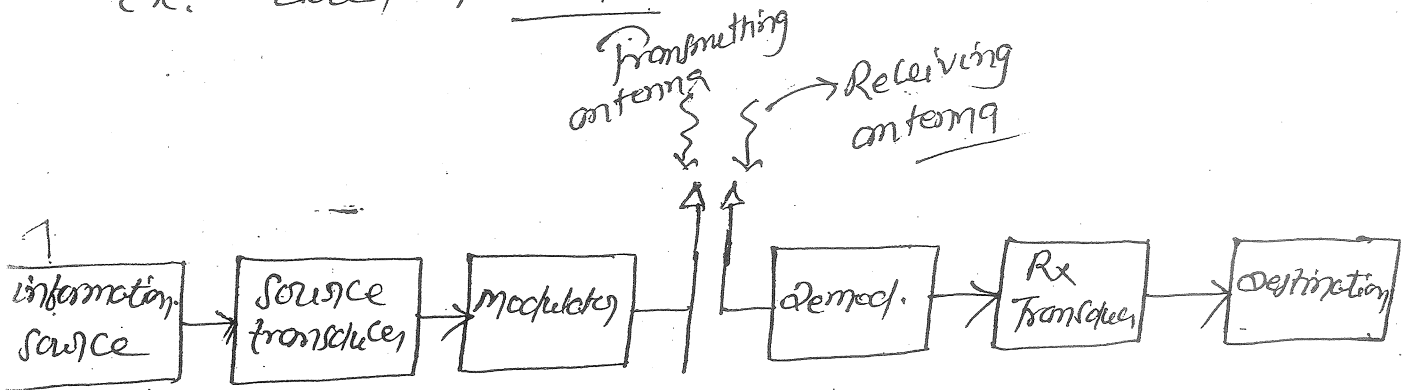
Voice signal — 300Hz — 3.5 KHz  
Audio — 20Hz — 20KHz  
video " — 0 — 4.5 MHz



- 1) (i) Information source is the source of information.
- 2) Source transducer converts physical signal into electrical equivalent. Ex: — mic, microphone.
- 3) Wired communication system is preferred for short distance communication, only. For long distance communication wireless transmission is preferred, in which signal propagates through free space.

⇒ Receiving transducer converts electrical signal into physical equivalents.

Ex:- Loud speaker.

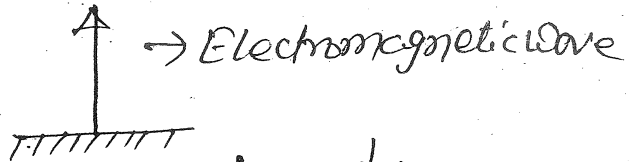


⇒ Generally ~~we know that~~ <sup>without</sup> modulation, long distance communication through free space is not possible.

\* Need for modulation:-

(1) Reducing antenna height requirement:-

for faithful radiation of signal



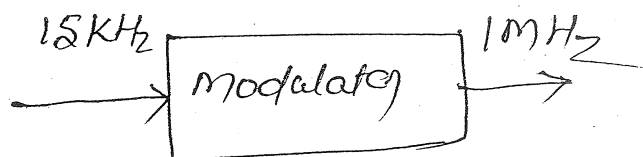
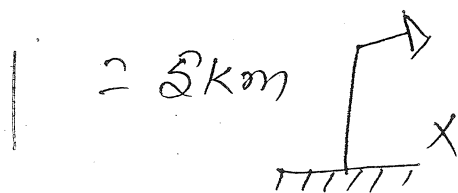
$$h_t = \lambda/4$$

$$\lambda = \frac{v}{f}$$

$$\lambda = \frac{c}{f}$$

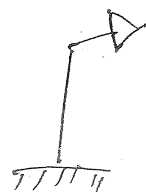
$$\downarrow h_t = \frac{c}{4f} \uparrow$$

$$h_t = \frac{3 \times 10^8}{4 \times (15 \times 10^3)}$$



$$h_t = \frac{3 \times 10^8}{4 \times (10^6)}$$

$= 75 \text{ m}$



27) For faithful radiation of antenna height should be atleast of  $\frac{\lambda}{4}$ .

27) Transmitting antenna convert electrical signal into electromagnetic ~~expressing~~ and resulting propagates with light velocity.

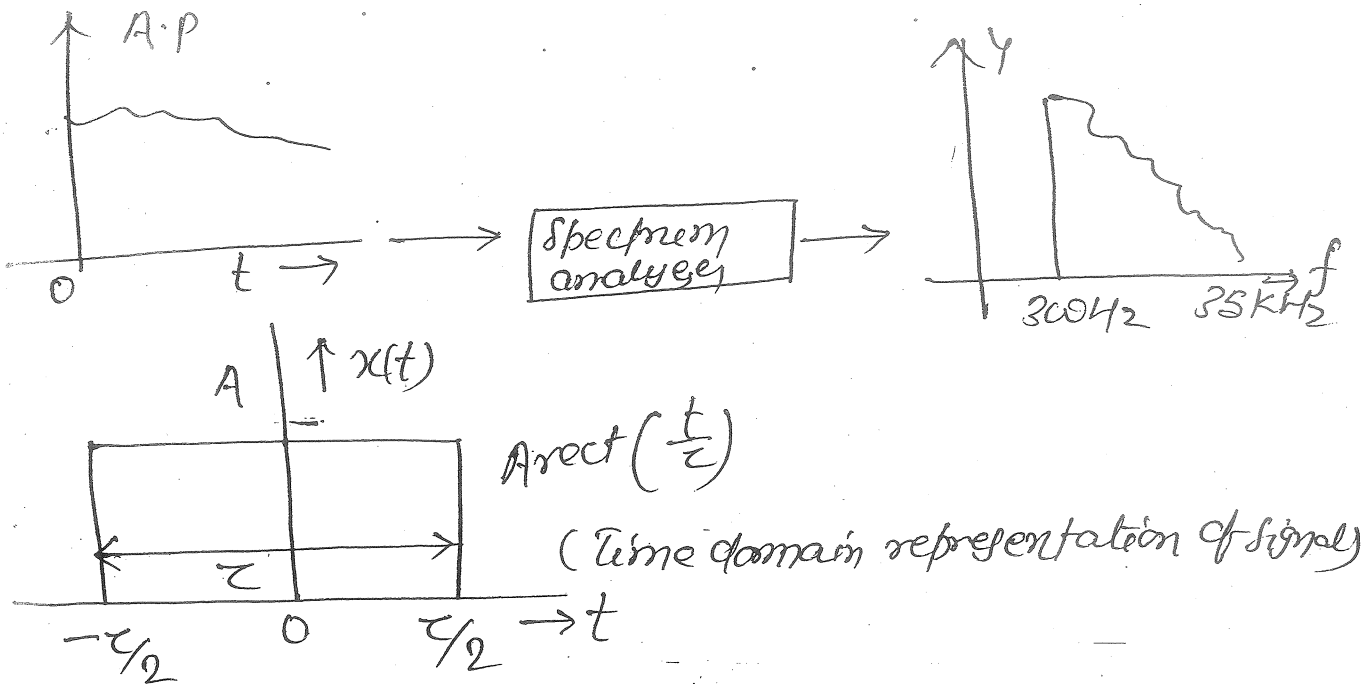
Note: - modulation is the process of increasing of the signal ~~into~~ reduce antenna height requirement.

(2) Multiplexing: - It is the process of transmitting multiple no. of signals through a single channel. Generally without modulation, multiplexing is not possible.

\* (3) Fourier Transform: -  $x(t) \rightarrow f(t)$

$$X(f) = \int_{-\infty}^{\infty} x(t) \cdot e^{-j2\pi ft} dt$$

27) Fourier transform is mainly used in to find frequencies presented in the given time domain signals.



$$X(f) = \int_{-\infty}^{\infty} x(t) \cdot e^{-j2\pi ft} dt$$

$$= \int_{-\tau/2}^{\tau/2} A \cdot e^{-j2\pi ft} dt$$

$$= -A \int_{-\tau/2}^{\tau/2} e^{-j2\pi ft} dt$$

$$= \frac{-A}{j2\pi f} \left[ e^{-j2\pi f t} \right]_{-\tau/2}^{\tau/2}$$

$$= \frac{-A}{j2\pi f} \left[ e^{-j2\pi f \cdot \tau/2} - e^{-j2\pi f \cdot (-\tau/2)} \right]$$

$$\approx \frac{A}{\pi f} \left[ \frac{e^{j\pi f \tau} - e^{-j\pi f \tau}}{2j} \right]$$

$$= \frac{A}{\pi f} \text{sinc}(\pi f \tau)$$

25<sup>th</sup> May 017

# EDC

Properties of all semiconductor maximum at this temp

## 1. SEMI-CONDUCTOR PHYSICS

\* Classification of temperature :- [T]

- ① Absolute Temp.  $0^{\circ}\text{K} = -273^{\circ}\text{C}$  (Practically not possible)
- ② Room temp.  $300\text{K} = 27^{\circ}\text{C}$
- ③ Ambient temp ( $T_A$ ):  $290\text{K} = 17^{\circ}\text{C}$  (normal temp)

$K = 0^{\circ}\text{K}$

Temp in Kelvin = Temp. in  $^{\circ}\text{C} + 273$

\* Thermal Voltage :- ( $V_T$ )

→ volt-equivalent of temperature

$V_T = \frac{kT}{q}$  volt

convert voltage into temperature  $\frac{W}{q}$

پتاپ پتاپ پتاپ

- where,  $T$  = temperature in Kelvin
- $q$  = magnitude of charge
- $= 1.6 \times 10^{-19}\text{C}$
- $k = 1.381 \times 10^{-23}\text{ J/K}$

→ After substituting values of  $q$  and  $k$  we get,

$V_T = \frac{T}{11,600}$  volt

$V_T \propto \text{Temp}$

→ If  $T = 0\text{K}$ ,  $V_T = 0$

If  $T = 300\text{K}$ ,  $V_T = \frac{300}{11,600} = 0.02568\text{V}$

$V_T = 26\text{mV}$

The standard room temp. corresponds to a voltage of 26 mV.

For a large variation in temp., we get a minute variation in thermal voltage

two different types of

→ Boltzmann's constant :-

$$\bar{K} = 1.381 \times 10^{-23} \text{ J/K}$$

$$k = 8.62 \times 10^{-5} \text{ eV/K}$$

$$\bar{K} = 1.6 \times 10^{-19} \text{ K} \rightarrow \text{relation}$$

$$V_T = \frac{\bar{K}T}{q} = \frac{1.6 \times 10^{-19} \text{ K} \cdot T}{q} \Rightarrow V_T = k \cdot T = 26 \text{ mV}$$

$$kT \rightarrow 26 \text{ mV}$$

\* Electron Volt :- (eV)

→ It is the practical unit of energy in electronics.

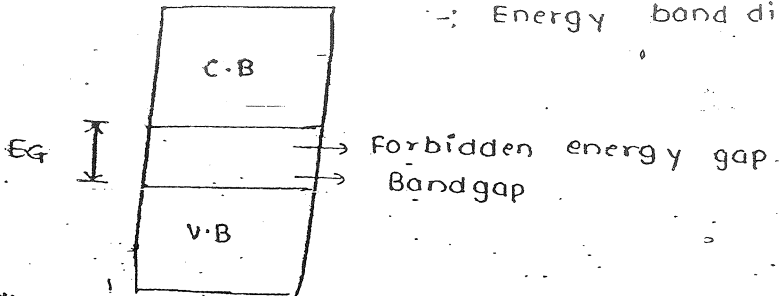
Joules is bigger unit

$$1 \text{ eV} = 1.6 \times 10^{-19} \text{ J}$$

⇒ 1eV is defined as the energy gained by the electron in moving through a potential difference of 1 volt.

\* Energy Gap ( $E_g$  or  $E_G$ ) :-

∴ Energy band diagram of semiconductor



$$E_G \propto \frac{1}{\text{Temp}}$$

\*\*\*

	Germanium	Silicon
$E_{G0}$	0.785 eV	1.21 eV
$E_{G300}$	0.72 eV	1.1 eV

$E_{G0}$  = band gap at 0 kelvin.

$E_{G300}$  = band gap at 300K.

→ In semiconductor, energy gap decreases with temperature

→  $E_G$  at any temp  $T(K)$  is given by,

$$E_G(T) = E_{G0} - \beta_0 T \text{ eV}$$

$\beta_0$  → material constant (eV/K)

or

$$E_G \propto \frac{1}{\text{Temp}}$$

For Ge :- \*\*

$$E_G(T) = 0.785 - 2.33 \times 10^{-4} T \text{ eV}$$

put  $T=0$   
 $= 0.785 \text{ eV}$

For Si :- \*\*

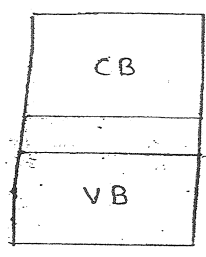
$$E_G(T) = 1.21 - 3.6 \times 10^{-4} T \text{ eV}$$

put  $T=300$   
 $= 0.72 \text{ eV}$

NOTE: For GaAs  $E_{G300} = 1.42 \text{ eV}$ .

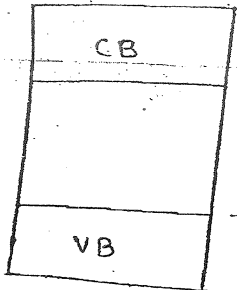
material constant varying from material to material

For a semiconductors,  $E_G$  is small i.e.  $E_G < 1.5 \text{ eV}$



$E_G < 1.5 \text{ eV}$   
 ⇒ bipolar → current carried by both electrons & holes  
 ⇒ diffusion current  
 Resistance decreases with temperature  
 Negative temperature coefficient of Resistance (NTCR)

For insulators,  $E_G$  is large i.e.  $E_G \geq 5 \text{ eV}$

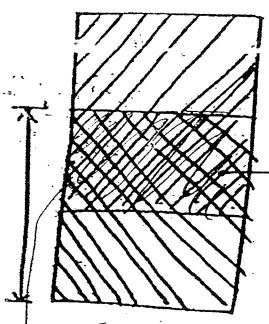


$E_G \geq 5 \text{ eV}$   
 Conductivity negligible  
 For ideal insulator conductivity is zero.  
 Note: If energy gap is less, less amount of additional energy is required for electron to jump from valence band to conduction band.

For metals / conductors,  $E_G$  is zero.

$$E_G = \text{non-zero } E_G \text{ (close to 0)}$$

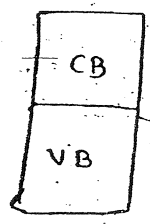
↳ negligible



C.B

overlap of VB and CB

at 300K



↳ Test - Back

0K

increased at 0K  $E_G$  is 0.

overlap increases with temperature

300° to 300K

metals → conductivity is very large.

only metals  
 PTC of resistance

Only drift current flows

Positive temperature constant

Unipolar → current is carried only by electrons [when metal is heated it's soundness]



of insulators and conductivity of a metal.

# Electric Field Intensity :- (E or,  $\mathcal{E}$ ) → is called the

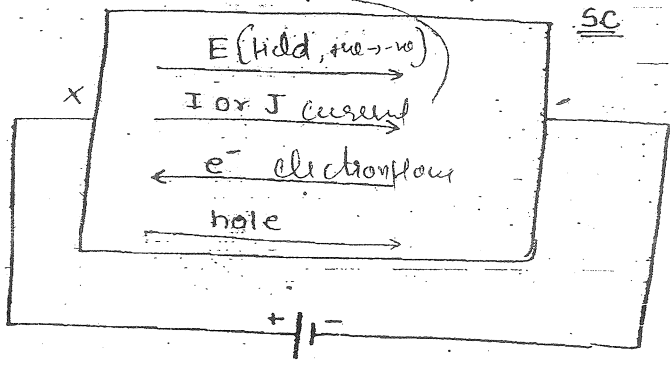
→ Field intensity or; field gradient or, field.

→ By definition,

$$E = - \frac{dV}{dx} \text{ V/m.}$$

$|E| = \frac{\text{Magnitude of voltage existing}}{\text{distance or, spacing.}}$  → easy way of remember

→ current Field is directed from higher potential to lower potential or, positive terminal to negative terminal.



ex :-  
 ▶ considering a semi-conductor bar → calculate the field at the centre of its bar.

